Example 1.5.3: Let us consider the relation $R = \{(a,b), (a,d), (b,b), (b,c), (c,c), (d,b), (d,c), (d,e), (d,f), (e,e), (e,f), (f,a), (f,c), (f,d), (f,e)\};$ notice the $R_a = \{b,d\}, R_b = \{b,c\}, R_c = \{c\}, R_d = \{b,c,e,f\}, R_e = \{e,f\} \text{ and } R_{f}: a,c,d,e\}.$ All in all, R may be pictured like this:

	-	-					
		a	b	c	d	e	f
a			×		×		
b			×	×			
C			And the state of t	×			
d			×	X		×	×
е						×	×
f	>	<		×	×	×	

The sequence of boxes along the diagonal is

×	×	×	

Its complement is

×		×	×
	1		

which corresponds to the diagonal set $D = \{a, d, f\}$. Indeed, D is different from each row of the array; for D, because of the way it is constructed, differs from the first row in the first position, from the second row in the second position and so on: \Diamond